

## Voltage Controlled Integrator and Linear Quadrature-VCO Using MMCC

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### Abstract

A Voltage Controlled Oscillator (VCO) based on the new multiplication-mode current conveyor (MMCC) building block is presented. The oscillator is realized using a double integrator loop (DIL) where a linear frequency ( $f_o$ ) versus the control voltage ( $V_c$ ) tuning characteristics with quadrature sinusoid signal generation in a range of  $40 \text{ kHz} \leq f_o \leq 700 \text{ kHz}$  had been experimentally verified. The  $f_o$ -sensitivity is low while the frequency stability factor ( $S_f \gg 1$ ) is high at satisfactory values of total harmonic distortion (THD  $\approx 1.11\%$ ).

**Keywords:** MMCC, quadrature oscillator, linear VCO, current conveyor

### 1. Introduction

Recently a new active building block, viz., the MMCC [1] is introduced; the element is quite attractive for analog signal processing and wave generation applications. It is essentially an elegant current conveyor element with unity current gain [2] wherein the voltage at the current injection x-node is the product of a control voltage ( $V_c$ ) and an input excitation voltage signal. The signal  $V_c$ , after being scaled by a multiplication factor  $k$  ( $\text{volt}^{-1}$ ) is copied at the current source input x-node of the device. We propose here the implementation of the MMCC block with readily available IC devices, viz. the four quadrant multiplier (ICL-8013 or HA-2556) [3] followed by a current feedback amplifier (AD-844) CFA element [4]. The CFA is a unity current-gain amplifier with several advantages cited in the literature [5-7].

The ICL-8013 (or HA2556) is a four quadrant analog multiplier whose output is proportional to the algebraic product of two input signals with a scale factor  $k$  (usually  $0.1 \leq k \leq 0.5$ ) in  $\text{volt}^{-1}$ . The features of high accuracy ( $\approx 1\%$ ), relatively wide bandwidth ( $\text{BW} \approx 1\text{MHz}$ ) and enhanced versatility make it suitable for various applications in electronically tunable signal processing and wave generation [3-8].

We present here the design of a MMCC based DIL sinusoid oscillator (involving one non-inverting and the other inverting type). The feature of four quadrant operation of the multiplier device is utilized here for realizing the opposite polarity ideal integrators by using a bipolar d.c. control voltage ( $\pm V_c$ ). A linear  $f_o$ -tuning law in a range of  $40 \text{ kHz} \leq f_o \leq 700 \text{ kHz}$  with satisfactory quadrature signal generation had been measured both by PSPICE macromodel simulation [9] and with hardware circuit implementation. Analysis on the effects of device port mismatch errors ( $\epsilon$ ) indicate that  $f_o$  is practically active insensitive and the effects of the shunt parasitic components of the CFA-device are negligible. The frequency stability factor of the proposed oscillator is quite high ( $S_f \gg 1$ ) at low values of measured THD ( $\approx 1.1\%$ ). The aspect of electronic tunability, along with the capability of quadrature sinusoid signal generation is an attractive property of such an oscillator in view of its various applicabilities in signal processing for communication and instrumentation fields. A comprehensive listing of the allied bibliography is presented in a tabular form which clearly indicates several superior features of the proposed design compared to the previous work.

**2. Research Method**

The circuit symbol of the MMCC is shown in Figure 1(a) where the nodal relations are  $I_z=I_x$ ,  $V_x=kV_{y1}V_{y2}$  and  $I_{y1}=0=I_{y2}$ . The IC chip level implementation of the block is shown in Fig. 1(b); here the nodal relations of the multiplier element is  $V_y=kV_{y1}V_{y2}$  and those of the CFA [4] are  $V_x=V_y$ ,  $I_z=I_x$ ,  $I_y=0$  and  $V_o=V_z$ . Combining these relations we get the terminal characteristics of the MMCC where in Fig. 1(b),  $V_c$  and  $V_i$  may be regarded as the control voltage and the input voltage respectively. Additionally, one gets a voltage source output at  $V_o$ , which is not usually configurable in the conventional current conveyor [2]. The MMCC based integrators are shown in Figure 2(a) and (b); a bipolar control voltage ( $\pm V_c$ ), amenable to the four quadrant multiplier, may be used to realize the non-inverting / inverting type ideal integrators in Figure 2 with  $T$  as the time constant, given by transfer (F)

$$F \equiv V_o/V_i = \pm 1/sT \quad ; \quad T = RC/kV_c. \tag{1}$$

The alternate realization in Figure 2(b) uses a positive  $V_c$  to get an inverting integrator. Design of the DIL with this structure, along with the other non-inverting structure here with  $+V_c$ , could provide a single control voltage terminal—an advantageous feature for microcircuit adaptation of the proposed linear VCO.

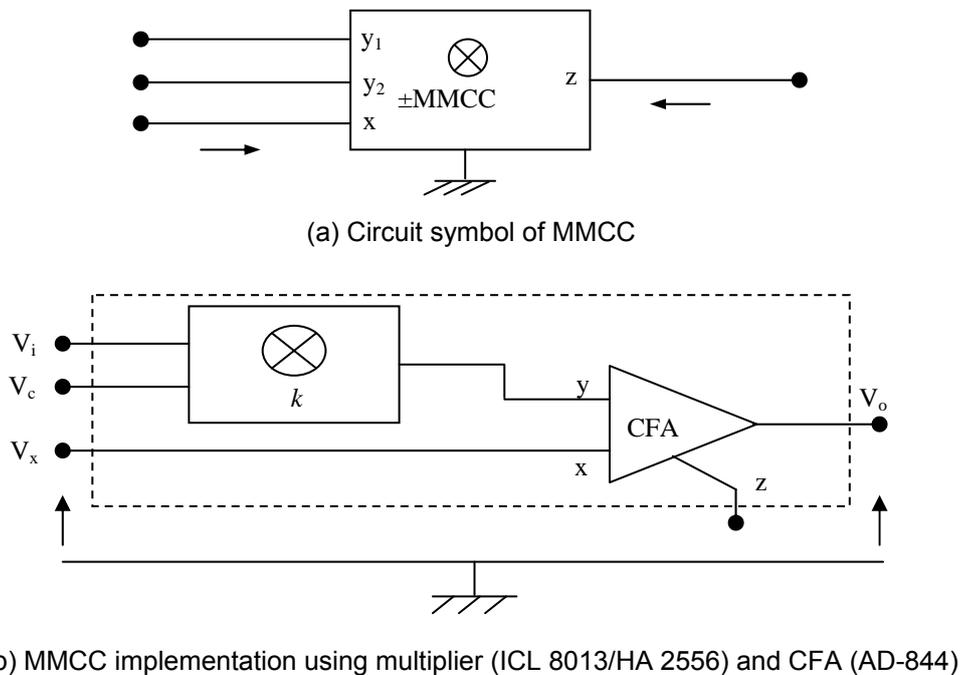


Figure 1. The Multiplication Mode Current Conveyor (MMCC)

The characteristic equation of the oscillator, as in Figure 2(c), is:

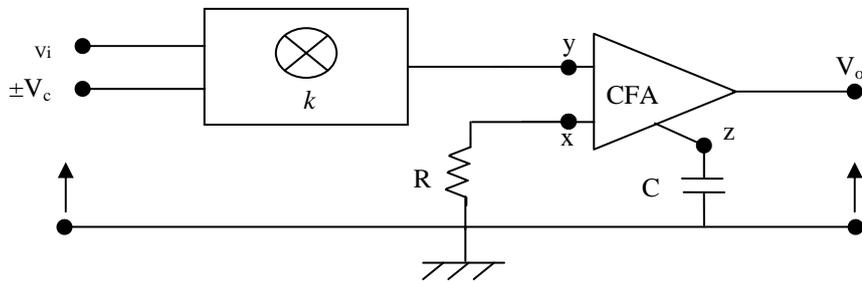
$$1 + s^2 T_1 T_2 = 0 \quad ; \quad T_{1,2} = (R_{1,2} C_{1,2}) / k V_c. \tag{2}$$

The oscillation frequency is:

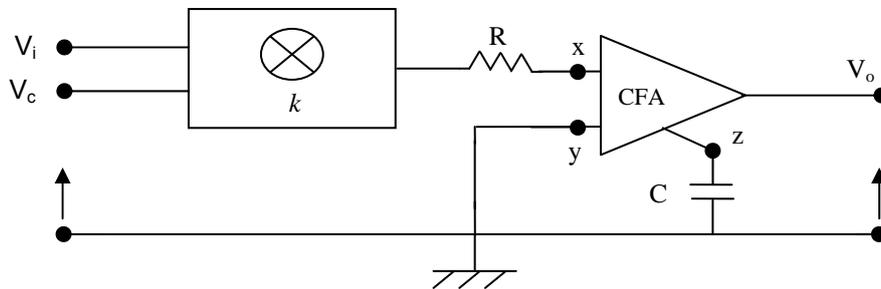
$$\omega_o = k V_c / \sqrt{(T_1 T_2)} \tag{3}$$

Since the loop consists of ideal integrators, no realizability condition is needed; hence no component matching constraint leading to minimized passive-sensitivity. The generated

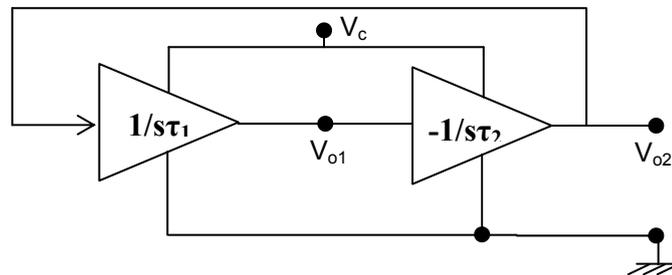
signal frequency ( $f_o$ ) thus is linearly tunable with  $V_c$  while a suitable band may be selected by appropriate choice of the RC products; signals  $V_{o1}$  and  $V_{o2}$  have quadrature phase property since  $V_{o1}(\omega)=V_{o2}(\omega) / j \omega \tau_1$



(a) Either polarity integrator design with  $\pm V_c$



(b) Alternate inverting integrator with  $+V_c$



(c) Double integrator loop sinusoid quadrature-signal output ( $V_{o1}$  &  $V_{o2}$ ) oscillator

Figure 2. Ideal Integrators Using MMCC

**2.1. Non-ideal Effects**

The device imperfections may be expressed in terms of non unity port transfer ratios [6], [10-11] as  $I_z=a I_x$ ,  $V_x=b V_y$  and  $V_o=\delta V_z$ . These ratios may be postulated as  $a = 1 - \epsilon_i$ ,  $b=1 - \epsilon_v$  and  $\delta=1 - \epsilon_o$  where the error ( $|\epsilon| \ll 1$ ) quantities [6, 11] are quite low in magnitude. We may also express the multiplication scale factor as  $k (\text{volt}^{-1}) = (1 - \epsilon_m)$  such that the quantity  $(kV_c)$  may be considered as a dimensionless error factor of  $\epsilon_m$ .

Assuming finite nonzero errors ( $\epsilon \neq 0$ ), we get the modified values as:

$$\tau' / \tau = (1 - \epsilon_t) \tag{4}$$

and,

$$\omega_o' / \omega_o = \sqrt{1 - \epsilon_T} \tag{5}$$

Where,

$$\varepsilon_T = \varepsilon_i + \varepsilon_v + \varepsilon_o + \varepsilon_m \text{ and } \varepsilon_T = \varepsilon_{t1} + \varepsilon_{t2} \quad (6)$$

$\varepsilon_{t1,2}$  denote deviation factors corresponding to the two integrator time constants ( $\tau'_{1,2}$ ). The practical AD-844 device has some finite transadmittance ( $Y_z$ ) components in the form of shunt-RC arm appearing at its z-node given by  $Y_z = sC_z + (1/r_z)$ ; ; as per databook [12], the typical values of these parameters are in the range of  $3\text{M}\Omega \leq r_z \leq 5\text{M}\Omega$  and  $3\text{pF} \leq C_z \leq 6\text{pF}$ . Considering this nonideal effect, we observe that the integrator function F in Equation (1) modifies to:

$$F' = n / [1 + s \{(1+p)/\omega_z\}] \quad (7)$$

Where  $n = r_z/R \gg 1$ ,  $p = C_z/C \ll 1$ ,  $\omega_z = 1/C r_z$

The integrator quality factor (Q) may be evaluated by writing  $F' \equiv \alpha + j\beta$  and then calculating  $Q = \beta/\alpha$  which yields  $Q = f(1+p)/f_z \gg 1$  for the relatively high operating frequency range ( $f \gg f_z$ ); for example if  $r_z \approx 5\text{M}\Omega$  and  $C_z \approx 6\text{pF}$  one gets  $f_z \approx 5\text{kHz}$ . So for frequencies above 5 kHz, the integrator becomes ideal and practically insensitive to the nonideal transadmittance components of the device.

The frequency stability factor ( $S_f$ ) of a sinusoid oscillator is defined as  $S_f = (\Delta\theta / \Delta u) \big|_{u=1}$  where  $u = f/f_o$  and  $\theta$  is the loop phase shift. We evaluate the value of  $S_f$  after assuming finite transadmittance parameters, given by:

$$S_f = (2 r_{z,p}) \sqrt{[(1 - \varepsilon_T) / R_1 R_2]} \quad (8)$$

Where  $r_{z,p}$  is the shunt equivalent  $\{1/r_{z,p} = (1/r_{z1}) + (1/r_{z2})\}$  of the  $r_z$  components for the two integrator stages. The stability is quite satisfactory  $S_f \gg 1$  since  $r_{z1,2} \gg R_{1,2}$ . Here both capacitors are grounded [13] and the parasitic capacitances  $C_z$  have an additive effect ( $C + C_z$ ); but since value of C is chosen such that ( $C \gg C_z$ ) the resulting deviation would be insignificant, or alternatively, the effect of  $C_z$  may be pre-absorbed in value of C.

### 3. Results

The practical performance of the proposed linear VCO had been examined by both hardware circuit test and with PSPICE simulation. Satisfactory results are obtained in a frequency range of up to 660 kHz with measured THD  $\approx 1.11\%$ . It has been verified that operating within the multiplication accuracy of 1%, yields an effective BW  $\approx 900\text{kHz}$  for the ICL-8013 device. So generation above 660 kHz yielded some wave distortion in the proposed realization. Enhancement of  $f_o$ -range could thus be obtained using the HA-2556 type multiplier having BW=57 MHz.

The experimentally generated quadrature waveforms by simulation at 500 kHz along with the spectrum are shown in Figures 3(a) and (b); measured tuning characteristics for two band spreads as set by two RC products are shown in Figure 3(c). Some deviations in  $f_o$  on hardware tests relative to those obtained by simulation are observed; these may be due to the presence of some inter-lead capacitances between the breadboard and the IC chip-pins and also due to the parasitic capacitances which were measured to be  $C_{z1} \approx 6.6\text{pF}$  and  $C_{z2} \approx 7.5\text{pF}$  while the d.c. supply voltage used is  $V_{cc} = 0 \pm 15\text{V.d.c.}$  for the AD-844 chips. The phase slope of the loop transfer function was observed to be quite high at  $f=f_o$  that ensures satisfactory frequency stability. The phase deviation ( $\theta_e$ ) between the quadrature output signals had been measured to be  $\theta_e < 3^\circ$  at 500 kHz - which ensures a better quality of the wave generation compared to other realizations.

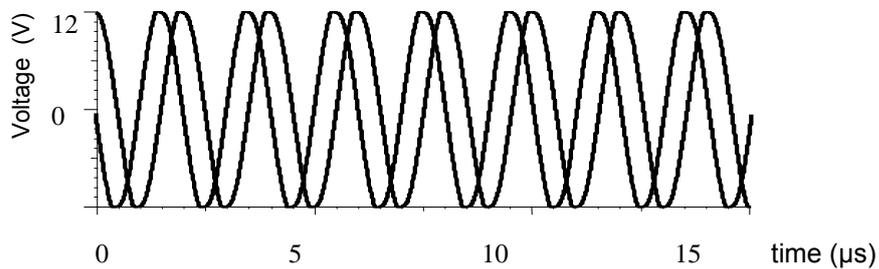
It may be mentioned that an MMCC-based linear sinusoid VCO with quadrature signal generation capability had not yet been proposed. A comparison of the performance of the proposed oscillator, with those of some recent designs, based on other types of building blocks [13-18], are summarized in Table 1. It may be observed that the proposed realization utilizes the new building block MMCC and it yields both electronic frequency control with a linear tuning law

and quadrature sinusoid generation at low harmonic distortion while frequency stability value is comparatively higher relative to other designs.

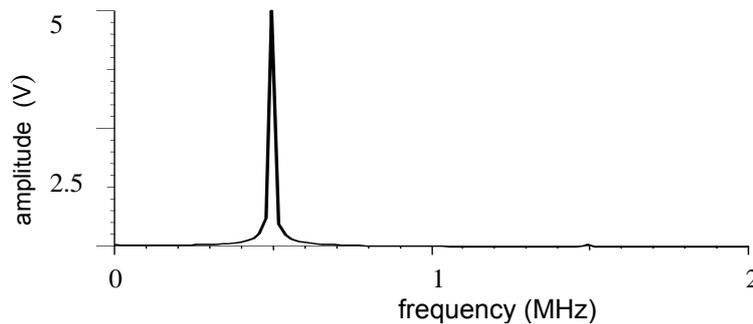
Table 1. Summary on Performance of Some Recent Oscillators

Ref.	Electronic tunability	Quadrature property	$f_o$ (kHz)	Tuning range reported	$S_f$	HD (%)
[13]	No	Yes	20	20	$\approx 2 n(1-\epsilon)=2n$	2.50
[14]	No	No	1	1	$2/(1+2\epsilon) \approx 2$	NI
[15]	No	Yes	20	20	$n(2-3\epsilon) \approx 2n$	1.94
[16]	Yes	No	145	145	NI	NI
[17]	No	Yes	986	986	NI	NI
[18]	No	Yes	15.8	15.8	NI	2.47
Proposed	Yes	Yes	600	600	$n\sqrt{1-\epsilon_T} \approx n=r_z/R \gg 1$	1.11

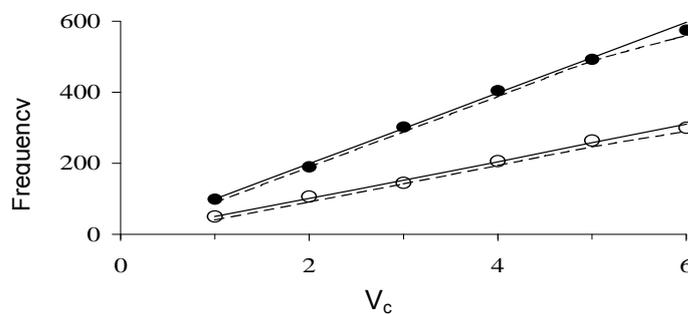
NI: Not indicated



(a) Simulated response at  $f_o = 500$  KHz with  $k = 0.1/volt$  and  $V_c = 5$  V.d.c.



(b) Spectrum of the generated signal



(c) Linear tuning characteristics with  $C=150pF$ :  $R = 1K\Omega$  (●) ;  $R=2K\Omega$  (○) (dotted line by hardware test)

Figure 3. Test results

#### 4. Conclusion

A new MMCC-based linear voltage controlled sinusoid oscillator is presented. The design is essentially a double-integrator loop circuit implemented with readily available IC modules of CFA (AD-844) and four quadrant multiplier (ICL-8013) elements. The practical performance had been verified with both PSPICE simulation and by hardware circuit test in a range of  $50 \text{ kHz} \leq f_o \leq 600 \text{ kHz}$ . The active  $f_o$ -sensitivity is low without any significant effect of the parasitic components of the CFA device. The frequency stability is shown to be quite high and the THD of the generated wave had been measured to be low. The phase error between the quadrature output signals had been measured to be  $\theta_e < 5^\circ$  at  $f_o \approx 500 \text{ kHz}$ . It may be mentioned here that a linear VCO using the recent MMCC device had not yet been reported in the literature. Such a linear VCO would find various applications in areas of electronic signal processing and communication such as in Phase locked loop (PLL), Frequency synthesis and modulation, as a voltage to frequency transducer etc. The authors are now carrying out further work to extend the functionality of the VCO so as to implement a digitally programmable oscillator wherein a digital signal (e.g. BCD word), after being converted by a Digital to Analog Converter (DAC), would be able to tune and generate a sequence of frequencies leading to FSK or PSK type modulation signal [19].

#### References

- [1] Hwang YS, Liu WH, Chen JJ. New building block: multiplication mode current conveyor. *IET Circuits Dev. Sys.*, 2009; 3: 41-48.
- [2] Sedra A Smith KC. A second generation current conveyor and its applications. *IEEE Trans. Circuit Theory.*, 1970; 17: 132-134.
- [3] Intersil Datasheet, File nos. 2863.4/April, 1999, 2477.5/Sept, 1998, 2477.6/Apr.2008.
- [4] Lidgey F, Hayatleh K. Current feedback operational amplifiers and applications. *Journal Electronic Comm. Engineering.* 1997; 9: 176-182.
- [5] Maundy B, Gift S, Magierowski S. Constant bandwidth current feedback amplifier from two operational amplifiers. *Int. J. Electronics.* 2007; 94: 605-615.
- [6] Nandi R, Sanyal SK, Bandyopadhyay TK. Single CFA-based integrator, differentiator, filter and sinusoid oscillator. *IEEE Trans. Instrum. Meas.* 2009; 58: 2557-2564.
- [7] Palumbo G Pennisi S Current feedback amplifiers versus voltage operational amplifiers. *IEEE Trans. Circuits & Syst.*, 2001; 48(1): 617-623.
- [8] Nandi R, Kar M, Das Sagarika. Electronically tunable dual-input integrator using a CDBA : voltage controlled quadrature oscillator design. *Journal of Active and Passive Electronic Components.* 2010; ID- 835789.
- [9] Macromodel of AD-844AN in PSPICE Library. Microsim Corporation. Irvine: Calif., USA. 1992.
- [10] Cha HW, Ogawa S, Watanabe K. Class-A CMOS current conveyors. *IEICE Trans.*, 1998; E-81(A): 1164-1166.
- [11] Nandi R, Sanyal SK, Bandyopadhyay TK. Low sensitivity multifunction active circuit using CFA-based supercapacitor. *Int. J. Electronics.* 2006; 93: 89-698.
- [12] Analog Devices: Linear Products Databook, Norwood, MA, USA. 1990.
- [13] Horng JW. Current differencing buffered amplifier based single resistance controlled quadrature oscillator employing grounded capacitors. *IEICE Trans.*, 2002; E-85(A): 1416-1419.
- [14] Keskin AU. Voltage mode high-Q bandpass filters and oscillators employing single CDBA and minimum number of components. *Int. J. Electronics.* 2005; 92: 479-487.
- [15] Tangsrirat W, Prasertsom D, Piyatat T, Surakamponorn W. Single resistance controlled quadrature oscillator using current differencing buffered amplifiers. *Int. J. Electronics.* 2008; 95: 1119-1126.
- [16] Pandey N, Paul SK. A novel electronically tunable sinusoidal oscillator based on CCCII (-IR). *Journal Active & Passive Electron. Dev.*, 2008; 3: 135-141.
- [17] Lahiri A. Novel voltage/current mode quadrature oscillator using current differencing transconductance amplifier. *Analog Int. Circuits & Sig. Proc.*, 2009; 61: 199-203.
- [18] Tangsrirat W, Surakamponorn W. Single resistance controlled quadrature oscillator and universal biquad using CFOAs, *Int.Jl.Electron.Comm. (AEU).* 2009; 63: 1080-1086.
- [19] Sarker UC, Sanyal SK, Nandi R. New active-R sinewave oscillators : Application in high frequency CPFSK wave modulation. *Int. J. Electronics.* 1991; 70: 139-149.